

Mining Frequent Itemsets Based On CBSW Method

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Abstract—Mining data streams poses many new challenges amongst which are the one-scan nature, the unbounded memory requirement and the high arrival rate of data streams. In this paper we propose a Chernoff Bound based Sliding-window approach called CBSW which is capable of mining frequent itemsets over high speed data streams. In the proposed method we design a synopsis data structure to keep track of the boundary between maximum and minimum window size prediction for itemsets. Conceptual drifts in a data stream are reflected by boundary movements in the data structure. The decoupling approach of simplified Chernoff bound defines the boundary limit for each transaction. Our experimental results demonstrate the efficacy of the proposed approach.

Keywords—Chernoff Bound, Data Streams, Decoupling, Mining Frequent Itemsets

I. INTRODUCTION

Frequent itemset mining is a traditional and important problem in data mining. An itemset is its support is not less than a threshold specified by users. Traditional frequent itemset mining approaches have mainly considered the problem of mining static transaction databases [1]. Many applications generate large amount of data streams in real time, such as sensor data generated from sensor networks, online transaction flows in retail chains, Web record and click-streams in Web applications, call records in telecommunications, and performance measurement in network monitoring and traffic management. Data streams are continuous, unbounded, usually come with high speed and have a data distribution that often changes with time. Hence, it is also called streaming data [5].

Nowadays, data streams are gaining more attention as they are one of the most used ways of managing data such as sensor data that cannot be fully supervised (e.g. web logs), require novel approaches for analysis. Some methods have been defined to analyse this data, mainly based on sampling, for extracting relevant patterns [5, 10]. They have to tackle the problem of handling the high data rate, and the fact that data cannot be stored and has thus to be treated in a *one pass* manner [1].

With the rapid emergence of these new application domains, it has become increasingly difficult to conduct advanced analysis and data mining over fast-arriving and large data streams in order to capture interesting trends, patterns and exceptions. From the last decade, data mining, meaning *extracting useful information or knowledge from large amounts of data*, has become the key technique to analyse and understand data. Typical data mining tasks include association mining, classification, and clustering. These techniques help find interesting patterns, regularities, and anomalies in the data. However, traditional data mining techniques cannot directly apply to data streams. This is because mining algorithms developed in the past target disk resident in-core datasets, and usually make several passes of the data.

Unlike mining static databases, mining data streams poses many new challenges. First, it is unrealistic to keep the entire stream in the main memory or even in a secondary storage area, since a data stream comes continuously and the amount of data is unbounded. Second, traditional methods of mining on stored datasets by multiple scans are infeasible, since the streaming data is passed only once. Third, mining streams requires fast, real-time processing in order to keep up with the high data arrival rate and mining results are expected to be available within short response times. In addition, the combinatorial explosion of itemsets exacerbates mining frequent itemsets over streams in terms of both memory consumption and processing efficiency. Due to these constraints, research studies have been conducted on approximating mining results, along with some reasonable guarantees on the quality of the approximation [6].

For the window-based approach, we regenerate frequent itemsets from the entire window whenever a new transaction comes into or an old transaction leaves the window and also store every itemset, frequent or not, in a traditional data structure such as the prefix tree, and update its support whenever a new transaction comes into or an old transaction leaves the window. [20] In fact, as long as the window size is reasonable, and the conceptual drifts in the stream is not too dramatic, most itemsets do not change their status (from frequent to non-frequent or from non-frequent to frequent) often. Thus, instead of regenerating all frequent itemsets every time from the entire window, we shall adopt an *incremental* approach.

To overcome the above problems, we propose a new approach called CBSW, which deals the window sizes using simplified Chernoff bound method. The algorithm fix the window sizes using max and min approach as well as segmented approach. The following section 2 describes the related work and section 3 describes the CBSW algorithm and section 3 elaborately discusses the comparison between FIDS and CBSW for different datasets with appropriate results. The section 5 concludes the paper with the efficiency and future work of the algorithm.

II. RELATED WORK

In a sliding window model, knowledge discovery is performed over a fixed number of recently generated data elements which is the target of data mining. Two types of sliding window, i.e., transaction-sensitive sliding window and time-sensitive sliding window, are used in mining data streams. The basic processing unit of window sliding of transaction-sensitive sliding window is an expired transaction while the basic unit of window sliding of time-sensitive sliding window is a time unit, such as a minute or 1 h. The sliding window can be very powerful and helpful when expressing some complicated mining tasks with a combination of simple queries [17].

For instance, the itemsets with a large frequency change can be expressed by comparing the current windows or the last window with the entire time span. For example, the itemsets have frequencies higher than 0.01 in the current window but are lower than 0.001 for the entire timespan. However, to apply this type of mining, mining process needs different mining algorithms for different constraints and combinations. [15,18] The flexibility and power of sliding window model can make the mining process and mining algorithms complicated and complex. To tackle this problem, we propose to use system supports to ease the mining process, and we are focusing on query languages, system frameworks, and query optimizations for frequent itemset mining on data streams.

Continuous sliding-window queries over data streams have been introduced to limit the focus of a continuous query to a specific part of the incoming stream transactions. The window-of-interest in the sliding-window query model includes the most-recent input transactions. In a sliding window query over n input streams, S_1 to S_n , a window of size w_i is defined over the input stream S_i . The sliding window w_i can be defined over any ordered attribute in the stream tuple. As the window slides, the query answer is updated to reflect both the new transactions entering the sliding-window and the old transactions expiring from the sliding-window. Transactions enter and expire from the sliding-window in a First-In-First-Expire (FIFE) fashion.

III. CHERNOFF BOUND BASED SLIDING WINDOW (CBSW) ALGORITHM

In this section we present our CBSW algorithm. CBSW uses the simplified Chernoff bound concepts to calculate the appropriate window size for mining frequent itemsets. It then uses the comparison of the two window sub-range observations and itemset counts when a transition occurs within the window and then adjusts the window size appropriately.

A. Window Initialization using Binomial Sampling

CBSW is able to adapt its window size to cope with a more efficient transition detection mechanism. It is viewed as an independent Bernoulli trial (i.e., a sample draw for tag i) with success probability $p_{i,t}$ using Equation (1) [16]. This implies that the number of successful observations of items i in the window W_i with epochs (i.e., $W_i = (t - w_i, t)$) is a random variable with a binomial distribution $B(w_i, p_{i,t})$. In the general case, assume that item i is seen only in subset of all epochs in the window W_i . Assuming that, the item probabilities within an approximately sized window calculated using Chernoff, are relatively homogeneous, taking their average will give a valid estimate of the actual probability of tag i during window W_i [16].

The derived binomial sampling model is then used to set the window size to ensure that there are enough epochs in the window W_i such that tag i is read if it does exist in the reader's range. Setting the number of epochs within the smoothing window according to Equation (3) ensures that tag i is observed within the window W_i with probability $> 1 - \delta$ [16]

$$W_i \geq \left\lceil \left(\frac{1}{p_i^{avg}} \right) \ln (1/\delta) \right\rceil \dots \dots \dots (1)$$

B. Window Size Adjustment

In order to balance between guaranteeing completeness and capturing tag dynamics the CBSW algorithm uses simple rules, together with statistical analysis of the underlying data stream, to adaptively adjust the cleaning window size. Assume $W_i = (t - w_i, t)$ is tag i current window, and let $W_{1i}' = (t - w_i, t - w_i/2)$ denote the first half of window W_i and $W_{2i}' = (t - w_i/2, t)$ denote the second half of the window W_i . Let $|S_{1i}|$ and $|S_{2i}|$ denote the binomial sample size during W_{1i}' and W_{2i}' respectively. Note that the mid value is inclusive on both range as shown in Figure 1.

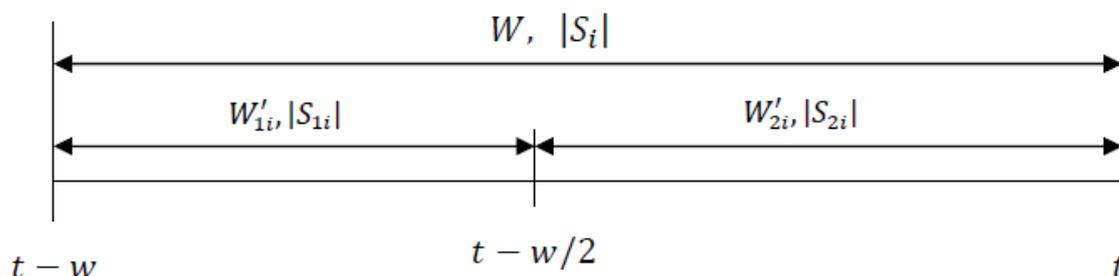


Figure 1. Illustration of the transaction itemsets in the smoothing window.

The window size is increased if the computed window size using Equation (1) is greater than the current window size and the expected number of observation samples ($|S_i| > w_i p_i^{avg}$) is less than the actual number of observed samples. Low expected observation samples indicates that the probability of detection is p_i^{avg} low, in this case we need to grow the window size to give more opportunity for the poor performing tag to be detected. Otherwise, if the expected observation sample is equal or greater than the actual sample size it means that, the p_i^{avg} is good enough and we do not have to increase the window size. This rule ensures that the window size is increased only when the read rate is poor.

The following code describes the CBSW algorithm. It mainly deals with the window size prediction based on the Chernoff

bound method. Initially all new transactions are stored into windows and whenever high speed data stream arrives the window size will be automatically regenerated.

The CBSW Algorithm

Input: T = set of all observed transaction IDs

δ = required data streams

Output: t = set of all present frequent itemset IDs

Initialise: $\forall i \in T, w_i \leftarrow 1$

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while(getNextTransaction) do
    for( $i$  in  $T$ )
        processWindow( $W_i$ )  $\rightarrow p_{i,t}, s, p_i^{avg}, |S_i|$ 
        if(itemExist( $|S_i|$ ))
            output  $i$ 
        end if
         $w_i^* \leftarrow$  requiredWindowSize( $p_i^{avg}, \delta$ )
        if(itemexists  $\wedge |S_{2i}| = 0$ )
             $w_i \leftarrow$  max{  $w_i/2, w_i^*$  }, 3
        else if (detectTransaction( $|S_i|, w_i, p_i^{avg}$ ))
             $w_i \leftarrow$  max{  $(w_i - 2), 3$  }
        else if ( $w_i^* > w_i \wedge |S_i| < w_i p_i^{avg}$ )
             $w_i \leftarrow$  min{  $(w_i + 2), w_i^*$  }
        end if
    end for
end while
    
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Also we observed the variation within the window could also be caused by missing itemsets and it is not necessarily happened only due to transition. Hence, to reduce the number of false positive due to transition and the number of false negative readings, which will be further introduced in case of wrong transition detection, the window size is reduced additively by reducing the window size. Setting the minimum window size can be balanced between maintaining the smoothing effect of the algorithm and reducing the false positive errors. Similar to FIDS, CBSW also slides its window per single transaction and produces output readings corresponding to the midpoint of the window after the entire window has been read.

IV. EXPERIMENTAL RESULTS

In this section we present our experimental evaluation of the proposed CBSW algorithm. The data sets for our experiments were generated by a synthetic data generator that simulates the operation of mining frequent itemset readers under a wide variety of conditions using MATLAB. The generator is composed of two components. The first component simulates the movement of transactions and the second component simulates itemset detection.

First, we compare the performance effectiveness between the CBSW algorithm and FIDS using the generated synthetic data sets. As shown in this figure 1, the proposed algorithm has the better runtime for different minimum support values. As the minimum support threshold decreases, the performance gap of our algorithm with respect to the other methods increases. The reason is, for lower minimum support thresholds, the number of frequent itemsets is increased.

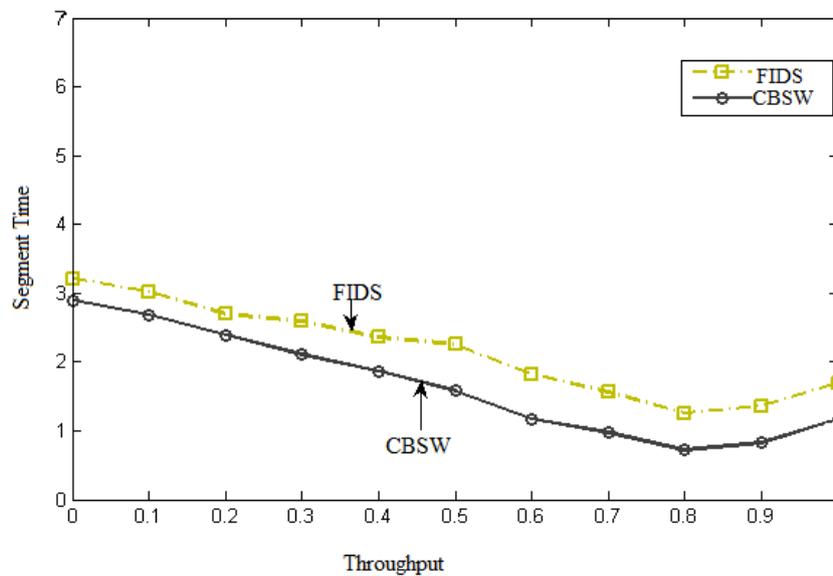


Fig. 1 Segment time comparison between CBSW and FIDS

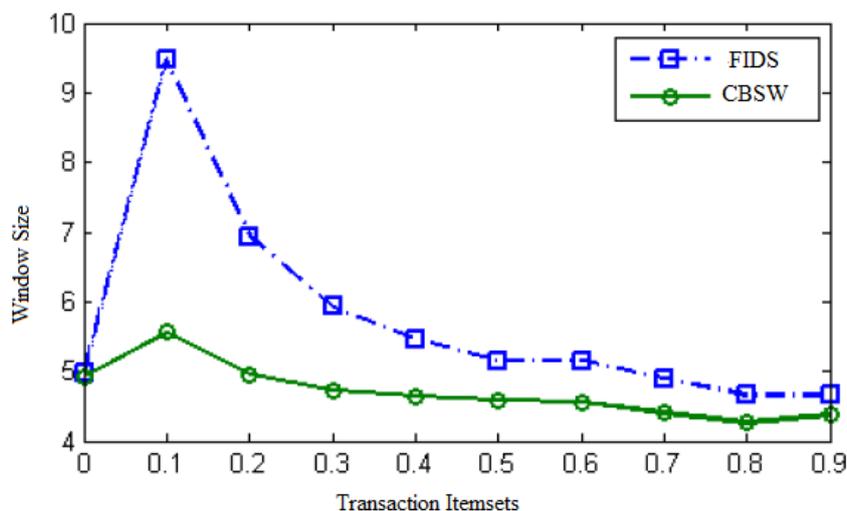


Fig. 2 Example of an image with acceptable resolution

Figure 2 shows the result of transaction itemsets for different window sizes. Figure 3, 4 shows their positive and negative error contributions.

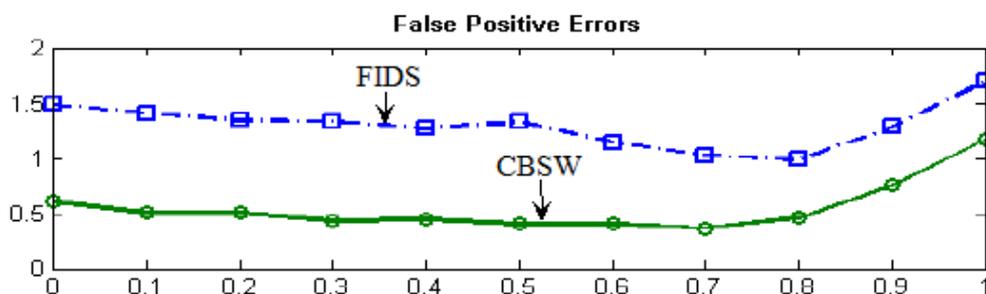


Fig. 3 False Positive Error CBSW vs FIDS

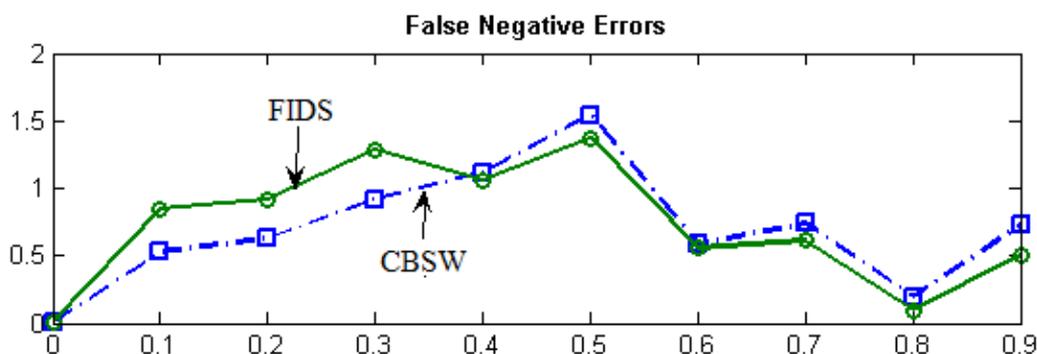


Fig. 4 False Negative Error CBSW vs FIDS

V. CONCLUSIONS

Compared with other sliding window based mining techniques, we save memory and improve speed by dynamically maintaining all transactions in the current sliding window by using Chernoff Bound method. A segmented based data structure was designed to dynamically maintain the up to date contents of an online data stream by scanning it only once, and a new method CBSW was proposed to mine the frequent itemsets in sliding window. Experimental results show that CBSW decrease required time for processing batches and amount of memory for storing history of data. We compare our algorithm with FIDS algorithm and show that CBSW perform better than FIDS in various conditions. The CBSW algorithms have some limitations and we plan to investigate these limitations as part of our future work.

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